

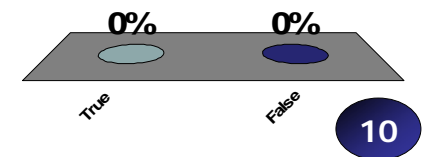
Complex Numbers

Concept tests

Every nonnegative real number has a real square root

- ✓1. True
- 2. False

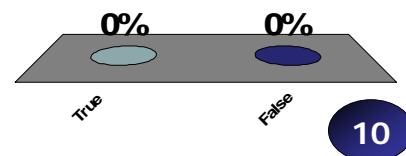
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For any complex number z , the product $z \cdot \bar{z}$ is a real number

- ✓1. True
- 2. False

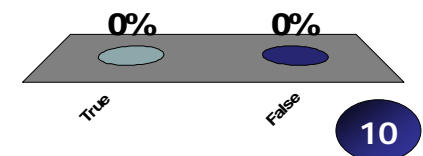
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It is possible for a function of a complex variable to be multi-valued

- ✓1. True
- 2. False

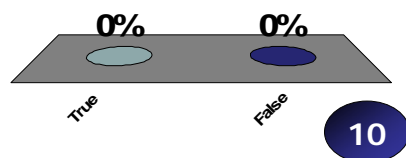
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The square of any complex number is a real number

1. True
- ✓ 2. False

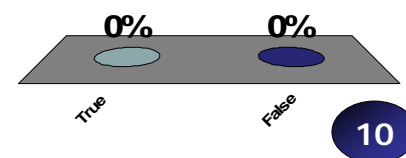
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If f is a polynomial and $f(z) = i$, then $f(\bar{z}) = i$

1. True
- ✓ 2. False

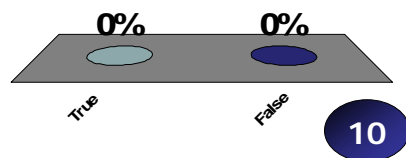
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If $z = x + iy$, where x and y are positive, then $z^2 = a + ib$ has a and b positive.

1. True
- ✓ 2. False

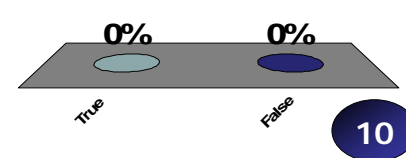
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Every nonzero complex number z can be written in the form $z = e^w$, where w is another complex number.

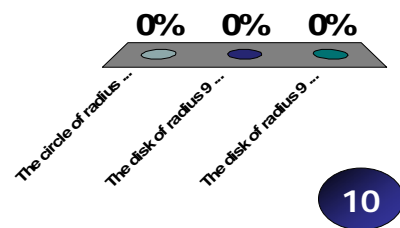
- ✓ 1. True
2. False

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Which of the statements below describes the region of the complex plane corresponding to $|z - i| \leq 9$?

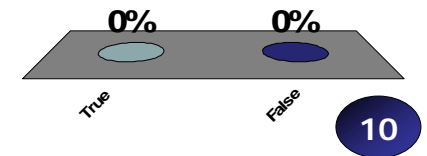
1. The circle of radius 3 centered at i
2. The disk of radius 9 centered at the origin
- ✓ 3. The disk of radius 9 centered at i



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The product of two analytic functions is analytic

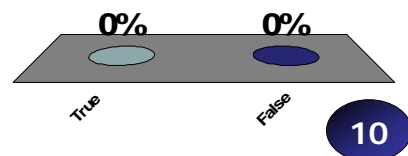
- ✓ 1. True
2. False



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If z is a complex number, then e^{iz} has modulus 1

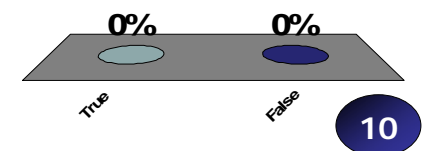
1. True
- ✓ 2. False



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Any solution of the equation $z^4 - 16 = 0$ may be written in the form $z = 2w$, where w is a fourth root of unity

- ✓ 1. True
2. False

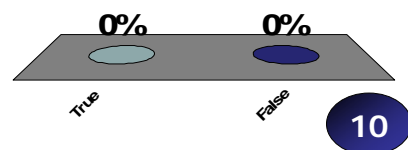


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The curve of equation $e^{(a+ib)t}$, where a and b are given real numbers and t varies in $[0,1]$, is a piece of a spiral in the complex plane

- ✓1. True
- 2. False

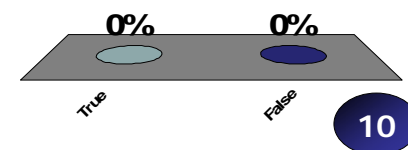
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The curve of equation e^{a+ib} , where a and b are real numbers, a varies and b is fixed, is a straight line in the complex plane

- ✓1. True
- 2. False

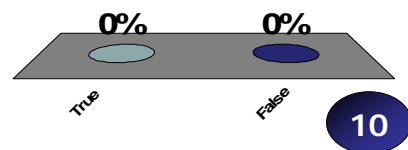
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The curve of equation e^{a+ib} , where a and b are real numbers and a is fixed and b varies, is a straight line in the complex plane

- 1. True
- ✓2. False

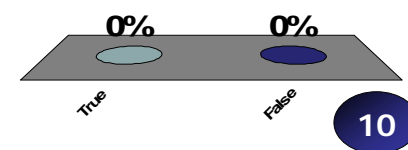
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If a function has a limit as $z \rightarrow z_0$, then the limit does not depend on the path followed by z as it approaches z_0

- ✓1. True
- 2. False

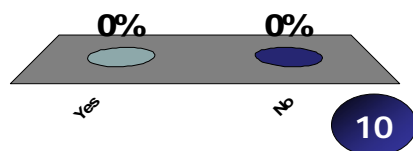
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Is the function $|z|^2$ entire?

1. Yes
- ✓ 2. No

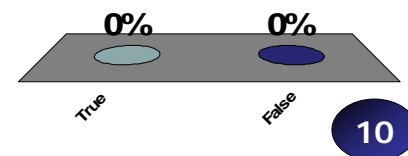
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The function $|z|^2$ is differentiable at the origin

- ✓ 1. True
2. False

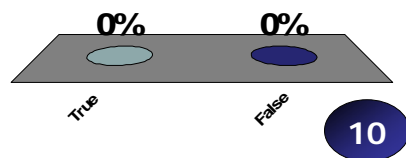
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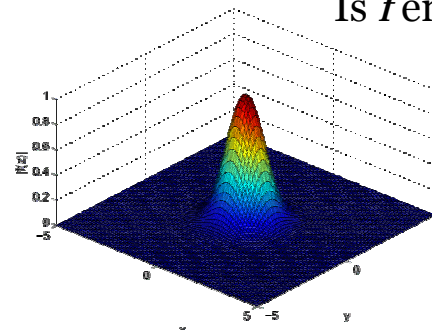
The function $|z|^2$ is analytic at the origin

1. True
- ✓ 2. False

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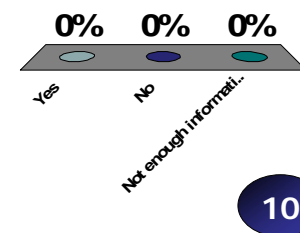


The graph below shows the modulus of a function of a complex variable $f(z)$.
Is f entire?

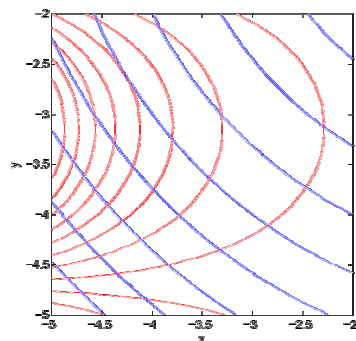


1. Yes
- ✓ 2. No
3. Not enough information to decide

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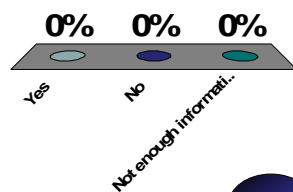


The graph below shows a contour plot of two functions $u(x,y)$ and $v(x,y)$. Is the function $f(z) = u(x,y) + i v(x,y)$ analytic?



1. Yes
- ✓ 2. No
3. Not enough information to decide

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